Lesson 46 ~ Lateral \& Total Area
Right Prism, Right Pyramid \& Right Cylinders
Area of Right Prisms
The given right prism, with height $h$, has a rectangular base with dimensions $\qquad$ L and $\qquad$ -


The area of the $\qquad$ Lateral Faces is called the $\qquad$ .
$\qquad$
The lateral area is equal to the product of the perimeter of the base $\frac{P_{b}}{b}$ and the height $\qquad$ $h$ _ of the prism.

Formula
Lateral Area of Right Prism

$$
A_{L}=P_{b} h
$$

$$
\begin{aligned}
A_{L} & =P_{b} h \\
& =5(4)(6) \\
& =20(6) \\
& =120 \mathrm{~cm}^{2}
\end{aligned}
$$

$\square$


The sum of the areas of the 2 bases and the lateral area is called th Total Area

Formula
Total Area of Right Prism

$$
\begin{aligned}
& A_{T}=A_{C}+A_{b}+A_{b} \\
& A_{T}=A_{L}+2 A_{b}
\end{aligned}
$$

Example

$$
\begin{aligned}
A_{T} & =A_{L}+2 A_{b} \\
& =120+2\left(5^{2}\right) \\
& =120+2(25) \\
& =120+50 \\
A_{T} & =170 \mathrm{~cm}^{2}
\end{aligned}
$$

Area of Right Regular Pyramid
The lateral area $\qquad$ of the pyramid is equal to half of the product of the perimeter of the base $\qquad$ $\mathrm{P}_{6}$ and the slant height SH of the pyramid.

Formula
Lateral Area of Pyramid

$$
\text { Example } \begin{aligned}
A_{L} & =\frac{P_{b}(S H)}{2} \\
& =\frac{(5)(4)(3)}{2} \\
& =\frac{60}{2}=30 \mathrm{~cm}^{2}
\end{aligned}
$$

$$
A_{L}=\frac{P_{b}(5 H)}{2}
$$



The total area $\qquad$ of the pyramid is equal to the sum of the area of the base $\qquad$ and the lateral area $\qquad$ .

Formula
Total Area of Pyramid

Example $A_{7}=A_{C}+A_{b}$

$$
=30+5^{2}
$$

$$
=30+25
$$

$$
A_{T}=55 \mathrm{~cm}^{2}
$$

$$
A_{T}=A_{L}+A_{b}
$$



Area of Right Circular Cylinders

The cylinder on the right has a height of $\qquad$ and radius of $\qquad$ .

The net of this cylinder is composed of ....

- 2 discs
- 1 rectangle (lateral face)


The cylinder's lateral area $\qquad$ $A_{t}$ is equal to the product of the perimeter of the base $\qquad$ ${ }^{P_{b}}$ and the height of the cylinder $\qquad$ .

Formula Lateral Area of cylinder

$$
\begin{aligned}
A_{L} & =P_{b} h \\
& =2 \pi r h
\end{aligned}
$$

$$
\text { Example } \begin{aligned}
A_{L} & =2 \pi r h \\
& =2(3.14)(3)(7) \\
& =10.84(7) \\
& =131.88 \mathrm{~cm}^{2}
\end{aligned}
$$



The cylinder's total area $A_{\text {_ }}$ is equal to the sum of the areas of the 2 bases and the cylinder's lateral area $\qquad$ -.

Formula
Lateral Area of cylinder

$$
\begin{aligned}
A_{T} & =A_{L}+A_{b}+A_{b} \\
& =2 \pi r h+2 \pi r^{2}
\end{aligned}
$$

Example


$$
\begin{aligned}
A_{\tau} & =2 \pi r h+2 \pi r^{2} \\
& =131.80+2(3.14)\left(3^{2}\right) \\
& =131.88+56.52 \\
& =188.4 \mathrm{~cm}^{2}
\end{aligned}
$$



